

BBS-ISL Matrix Fundamentals:

**10 Basic, fundamental rules of the
symmetrical BBS-ISL Matrix**

- **Basic BBS-ISL Rule 1:** All numbers (#s) related by the 1–4–9–...PD sequence
- **Basic BBS-ISL Rule 2:** Every # in the PD sequence is the square of an Axial #.
- **Basic BBS-ISL Rule 3:** The Odd-Number Summation sequence forms the PD sequence.
- **Basic BBS-ISL Rule 4:** Every EVEN Inner Grid (IG) # is divisible by 4 & all are present.

- Basic BBS-ISL Rule 5: Every IG# is:
 - A: The difference (Δ) between its two PD-sequence #s. (Note: $A=B=C=D$, and, E.)
 - Ex: PD 25 - PD9 = 16
 - B: The sum (\sum) of the Δ s of each of its PD#s between its two PD-sequence #s (as above).
 - Ex: (PD 25 - PD16) + (PD16 - PD9) = 16
 - C: The Δ between the squares of the two Axial #s forming that IG# (as above).
 - Ex: $5^2 - 3^2 = 16$

- Basic BBS-ISL Rule 5: Every IG# is (con'd):
 - **D:** The product of the Addition & Subtraction of the two Axial #s forming that IG# (as above).
 - Ex: $(5 + 3) \times (5 - 3) = 16$
 - **E:** The product of the Diagonal Axis # – STEPS from the PD – times the \sum of Row + Column Axis #s.
 - Ex: $2 \times (5 + 3) = 16$
 - **F:** Also, the product of its 2 Axial #s intersected by that IG#'s 90° diagonals.
 - Ex: $2 \times 8 = 16$

- **Basic BBS-ISL Rule 6:** Every *ODD IG# is NOT PRIME & all are present.
 - Corollary: NO PRIME #s are present on the *IG.
 - Corollary: NO EVEN, NOT divisible by 4, #s are present on the IG.

*Excepting the 3–5–7–... ODD #s of the 1st Parallel Diagonal

- **Basic BBS-ISL Rule 7:** The ODD-Number sequence 1–3–5–7–..., and the 1–4–9–...PD sequence, form the sequential Δ between ALL IG#s.
- **Basic BBS-ISL Rule 8:** The Δ between #s within the Parallel Diagonals is a constant 2 x its Axial #.

- **Basic BBS-ISL Rule 9:** The Δ between #s in the Perpendicular Diagonals follow:
 - A: From EVEN PD#s, $\sqrt{PD} \times 4$ starts the sequence & follows $x_1-x_2-x_3-x_4-...$
 - B: From ODD PD#s, $\sqrt{PD} \times 4$ starts the sequence & follows $x_1-x_2-x_3-x_4-...$
 - C: From ODD Perpendicular Diagonals between the EVEN-ODD diagonals (above), the sequence starts with the same value as the Axis number ending the diagonal, the sequence following $x_1-x_3-x_5-x_7-..$

- **Basic BBS-ISL Rule 10:** Every #, especially the #s in the ONEs Column, informs both smaller and larger Sub-set symmetries (much larger grids required to demonstrate).

BBS-ISL Matrix Inner Grid Golden Rules (IGGR)

**5 Basic, fundamental rules of the
symmetrical BBS-ISL Matrix Inner
Grid**

- **IGGR 1:** The IG is formed of two equal & symmetrical 90° -right, isosceles triangles that are bilaterally symmetrical about the PD – and, infinitely expandable.
- **IGGR 2:** The 90° -right-triangle – inherent to ALL squares and rectangles by definition – both forms the alternating EVEN-ODD square grid cells within the Matrix, and, is responsible for all major patterns and sequences, thereupon.

- **IGGR 3:** Subtraction-Addition: Every IG# is simply the Δ between its two PD#s (subtraction), and, the sum (Σ) of any IG# + its PD# above = the PD# on the end of that Row (or, Column).
- **IGGR 4:** Multiplication-Division: Every IG# is simply the product of the two AXIAL #s intersected by the two diagonals – of that said IG# – pointing back to the Axis at a 90° angle (multiplication), and, the dividend of the Axial divisor and quotient (division).

- **IGGR 5:** The actual # of grid-cell steps – i.e., the actual # of STEPS from a given IG# to another by a strictly horizontal, vertical, or 45° diagonal path – forms a simple, yet often fundamental descriptor to the pattern-sequence templates that inform the more advanced patterns, e.i., Exponentials and especially the Pythagorean Triples (PTs). STEPS are particularly important in the geometric visualizations within the BBS-ISL Matrix (as alluded to in IGGR 2, above).

Pythagorean Triples and BBS-ISL Fundamentals (TPISC: The Pythagorean- Inverse Square Connection)

**3 Basic, fundamental rules of the
symmetrical BBS-ISL Matrix Inner
Grid that encompass the PTs.**

- TPISC-BBS-ISL Rule 1: Every IG EVEN Squared # is part of a Paired-Factor Set (PFS) that:
 - A: Has reciprocal PFS members on the PD vertically above.
 - B: Both PFS members reside on the SAME Row.
 - C: They represent the a^2 and b^2 values of a PT, whose c^2 value is on the PD intersection

- **TPISC-BBS-ISL Rule 2:** Every PT is found on the BBS-ISL Matrix and can be located by this intersection of EVERY PD (9>) and a Row with PFSs.
- **TPISC-BBS-ISL Rule 3:** Every PT – including its sides, perimeter, area and proof – can also be found and fully profiled (and, predicted) as r-set, s-,t-set members of the **Dickson Method (DM)**, **Expanded Dickson Method (EDM)**, and the **Fully Expanded Dickson Method (FEDM)**, shown herein.

0	1	2	3	4	5
1	1	3	8	15	24
2	3	4	3	12	21
3	8	5	9	7	16
4	15	12	7	16	9
5	24	21	16	9	25

Brooks (Base) Square -5. Copyright © 2011, Reginald Brooks. All rights reserved.

BBS-ISL Matrix media center

Copyright © 2016, Reginald Brooks, Brooks Design. All rights reserved.